#### Second letter

		U	С	Α	G	
First letter	U	UUU Phe UUC Leu UUA Leu	UCU UCC UCA UCG	UAU Tyr UAA Stop UAG Stop	UGU Cys UGA Stop UGG Trp	U C A G
	С	CUU CUC CUA CUG	CCU CCC CCA CCG	CAU His CAC Gin CAG	CGU CGC CGA CGG	Third O A G
	Α	AUU AUC AUA IIIe AUG Met	ACU ACC ACA ACG	AAU AAC AAA AAG Lys	AGU   Ser AGA   Arg	U C A G
	G	GUU GUC GUA GUG	GCU GCC GCA GCG	GAU Asp GAA GAA GAG	GGU GGC GGA GGG	U C A G

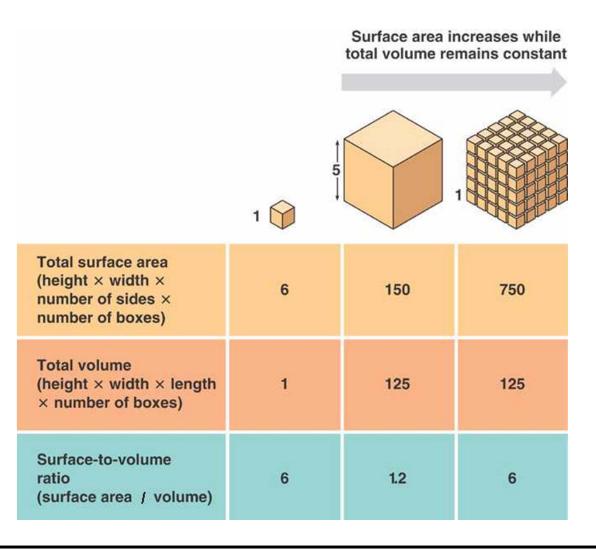


#### **Nanomaterials**

- Metals and Alloys
  - Fe, Al, Au
- Semiconductors
  - Band gap, CdS, TiO<sub>2</sub>, ZnO
- Ceramic
  - $-Al_2O_3$ ,  $Si_3N_4$ , MgO, ,  $SiO_2$ ,  $ZrO_2$
- Carbon based
  - Diamond, graphite, nanotube, C60, graphene
- Polymers
  - Soft mater, block co-polymer
- Biological
  - Photonic, hydrophobic, adhesive,
- Composites



#### Surface to Volume Ratio





#### Surface to Volume Ratio

Au: AAA

Atomic mass: 196.967

Density 19.31

Radii = 0.144 nm

Number of Au atoms in 1 m

3.4 10<sup>9</sup>
Volume of Au atom

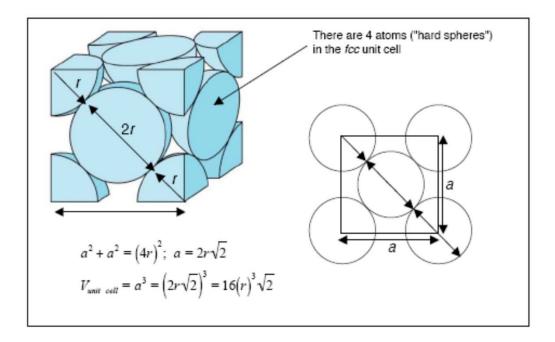
4.19 10<sup>28</sup>
Surface area Au atom

7.22 10<sup>19</sup>
Surface/volume ratio

1.72 10<sup>-9</sup>



#### fcc



$$V_{\text{sunit ceil}} = a^3 = (2r\sqrt{2})^3 = 16(0.5\text{nm})^3\sqrt{2} = 2.828 \text{ nm}^3$$

$$\frac{10^{27} \text{ nm}^3}{2.828 \text{ nm}^3} = 3.536x 10^{26} \text{ nano unit cells}$$

Collective Area = 
$$3.536x10^{26}$$
 nano unit cells  $\left(\frac{4 \text{ spheres}}{\text{unit cell}}\right) \left(\frac{4\pi r^2}{\text{sphere}}\right) = 4.44x10^{27} \text{ nm}^2$ 

$$\frac{S_{spheres}}{S_{unit\ outi}} = \frac{4.44x10^9 \text{ m}^2}{6.0x10^9 \text{ m}^2} = 0.74$$



## Packing Fraction

$$APF = \frac{N_{\text{atoms}}V_{\text{atom}}}{V_{\text{crystal}}}$$

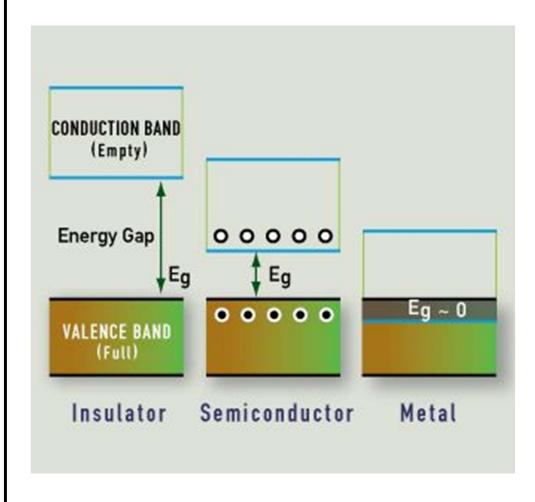


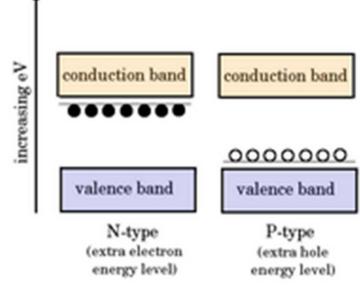
#### Surfaces

- Collective surface area of nanocube 1 nm
- Porous materials
  - Micropore (<2 nm)</p>
  - Mesopore (2 nm  $\sim$  50 nm)
  - Marcopore (> 50nm)
- Void volume
  - $-V_{pore}/V_{material}$



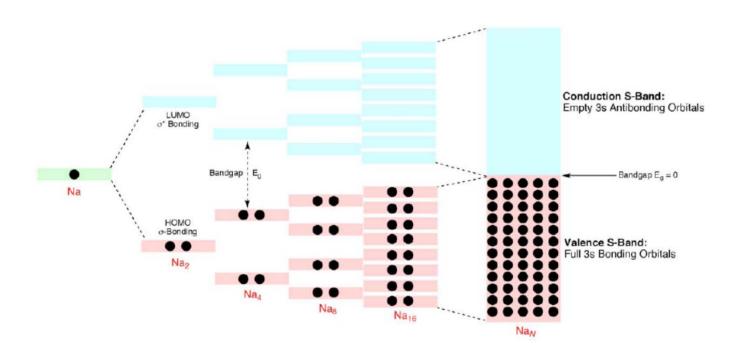
## Bandgap





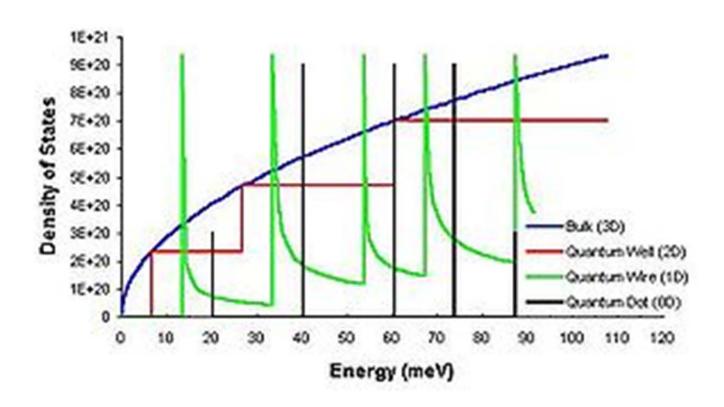


## Bandgap





## Density of State



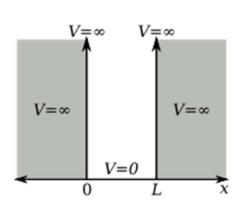


#### Particle in a Box

$$-\frac{\hbar^2}{2m}\frac{\mathrm{d}^2\psi(x)}{\mathrm{d}x^2} + V(x)\psi(x) = E\psi(x) \quad (1)$$

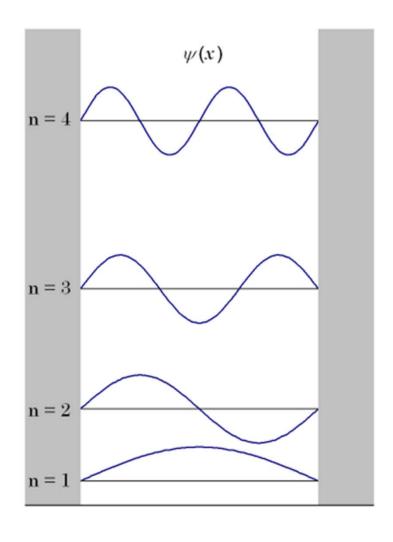
$$\psi_n = \sqrt{\frac{2}{L}} \sin\left(\frac{n\pi x}{L}\right)$$

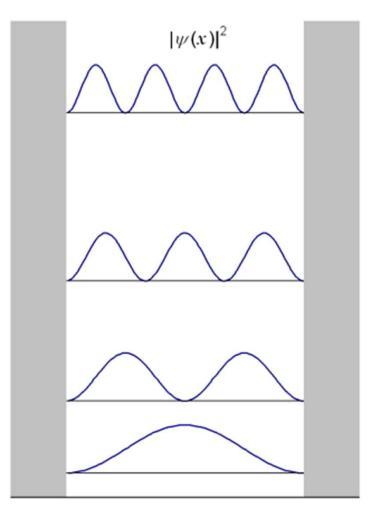
$$E_n = \frac{\hbar^2 \pi^2}{2mL^2} n^2$$





## Particle in a Box







$$\psi_{n_x,n_y} = \sqrt{\frac{4}{L_x L_y}} \sin\left(\frac{n_x \pi x}{L_x}\right) \sin\left(\frac{n_y \pi y}{L_y}\right)$$

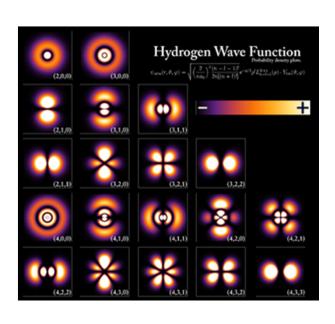
$$E_{n_x,n_y} = \frac{\hbar^2 \pi^2}{2m} \left[ \left( \frac{n_x}{L_x} \right)^2 + \left( \frac{n_y}{L_y} \right)^2 \right]$$

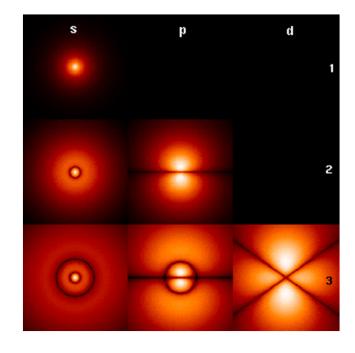
$$\psi_{n_x,n_y,n_z} = \sqrt{\frac{8}{L_x L_y L_z}} \sin\left(\frac{n_x \pi x}{L_x}\right) \sin\left(\frac{n_y \pi y}{L_y}\right) \sin\left(\frac{n_z \pi z}{L_z}\right) \quad (22)$$

$$E_{n_x,n_y,n_z} = \frac{\hbar^2 \pi^2}{2m} \left[ \left( \frac{n_x}{L_x} \right)^2 + \left( \frac{n_y}{L_y} \right)^2 + \left( \frac{n_z}{L_z} \right)^2 \right] \quad (23)$$



#### **Wave Functions**





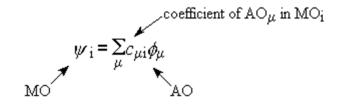
$$i\hbar\frac{\partial}{\partial t}\Psi(\mathbf{r},\,t)=\hat{H}\Psi=\left(-\frac{\hbar^2}{2m}\nabla^2+V(\mathbf{r})\right)\Psi(\mathbf{r},\,t)=-\frac{\hbar^2}{2m}\nabla^2\Psi(\mathbf{r},\,t)+V(\mathbf{r})\Psi(\mathbf{r},\,t)$$
 
$$V(r)=-\frac{1}{4\pi\epsilon_0}\frac{Ze^2}{r}$$

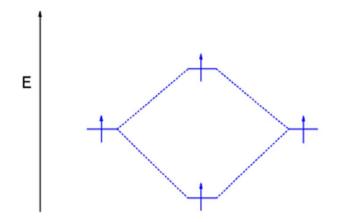
$$\psi_{n\ell m}(r,\vartheta,\varphi) = \sqrt{\left(\frac{2}{na_0}\right)^3 \frac{(n-\ell-1)!}{2n(n+\ell)!}} e^{-\rho/2} \rho^{\ell} L_{n-\ell-1}^{2\ell+1}(\rho) \cdot Y_{\ell}^m(\vartheta,\varphi)$$



# Linear combination of atomic orbitals molecular orbital method

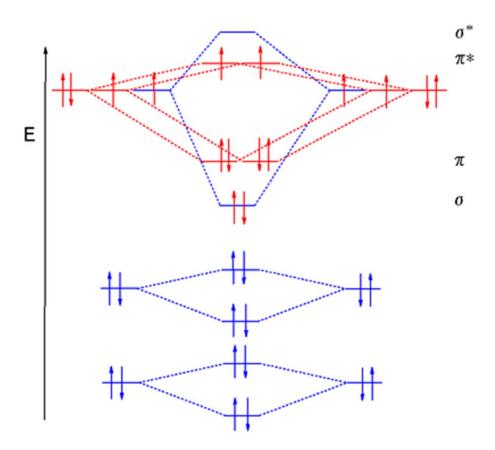
$$\phi_i = c_{1i}\chi_1 + c_{2i}\chi_2 + c_{3i}\chi_3 + \dots + c_{ni}\chi_n$$



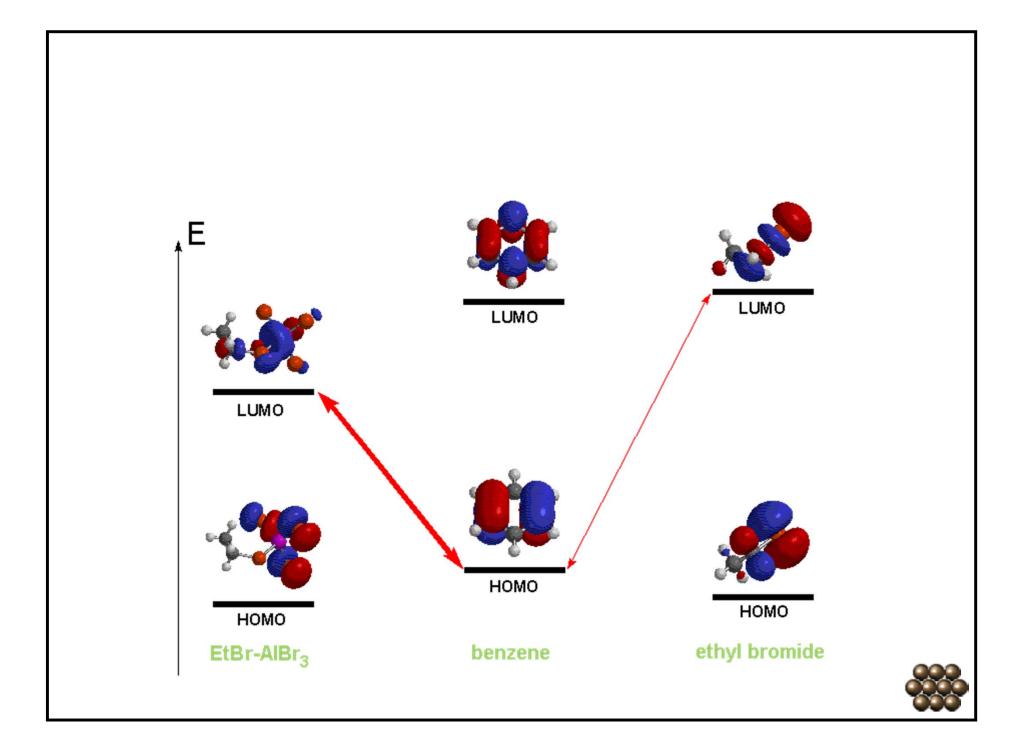


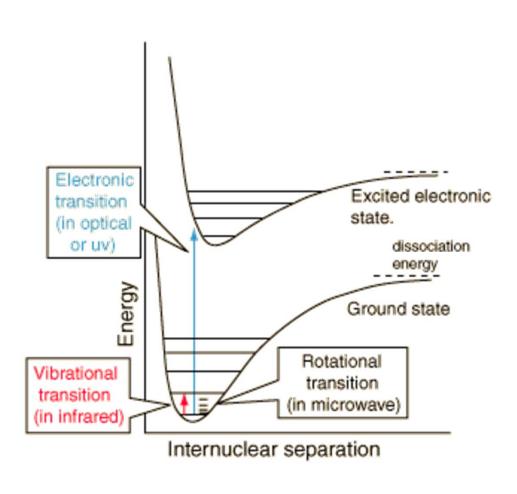


## Oxygen















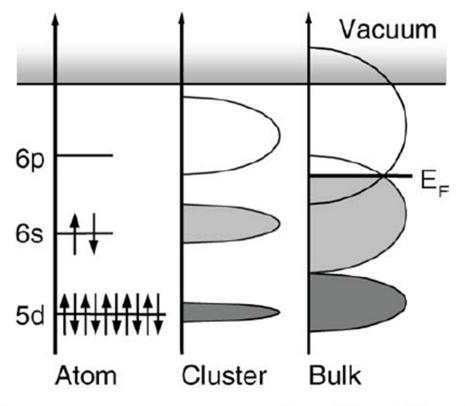


Figure 5 Energy diagram describing a generic Bloch-Wilson MIT in clusters (with specific reference to the energy levels of mercury). For sufficiently large clusters, the *s-p* band gap closes with increasing cluster size (shaded areas represent energy range with occupied electron levels). Overlap leads to a "continuous" DOS at E<sub>F</sub> and to an Insulator to Metal transition.



#### Bloch wave

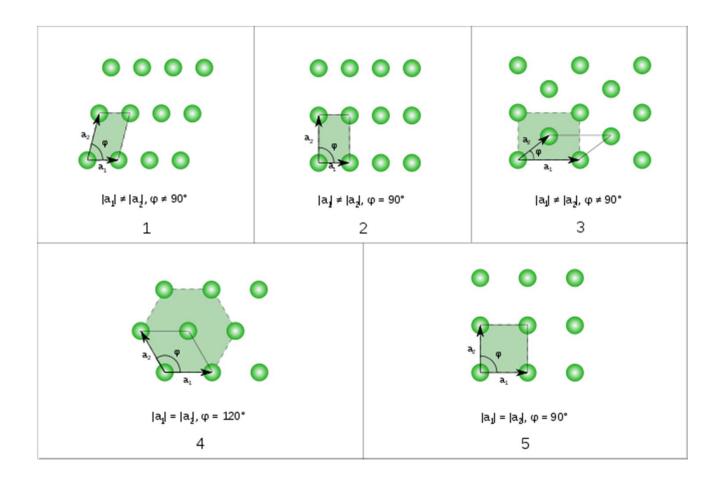
$$\psi_{n\mathbf{k}}(\mathbf{r}) = e^{i\mathbf{k}\cdot\mathbf{r}}u_{n\mathbf{k}}(\mathbf{r})$$

A **Bloch wave** or **Bloch state**, named after <u>Felix</u> <u>Bloch</u>, is the <u>wavefunction</u> of a particle (usually, an <u>electron</u>) placed in a <u>periodic potential</u>.

$$\epsilon n(\mathbf{k}) = \epsilon n(\mathbf{k} + \mathbf{K}),$$



## The five fundamental twodimensional Bravais lattices



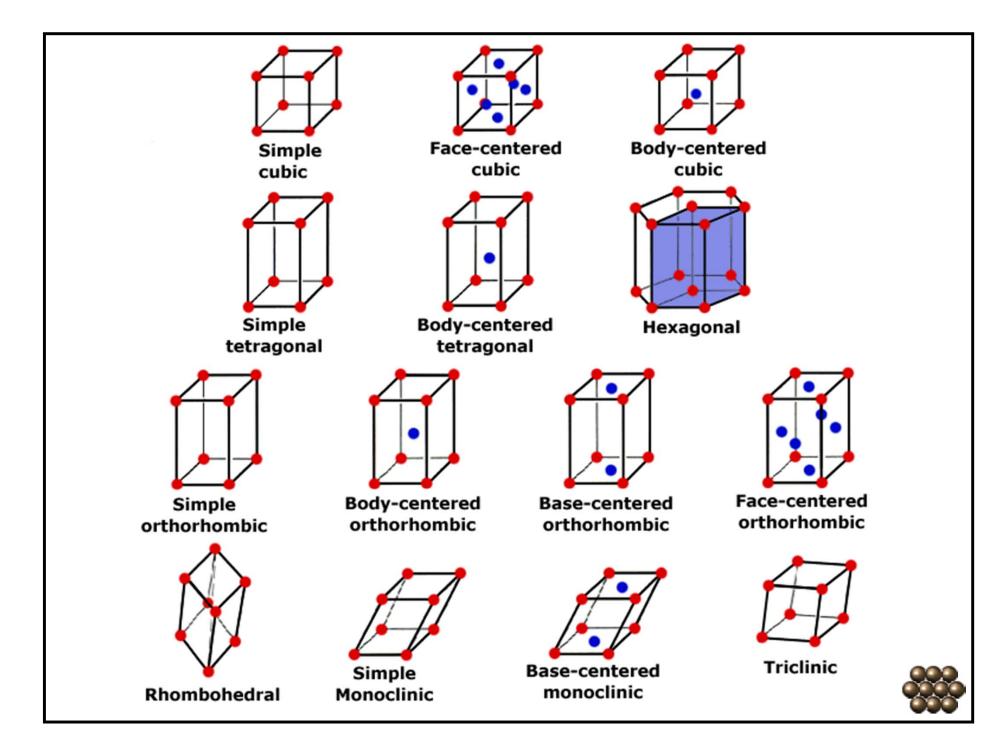


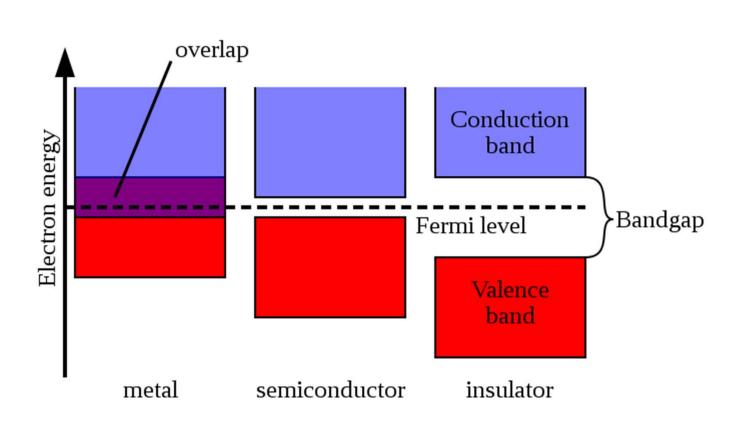
## **Unit Cell**

Bravais	Parameters	Simple (P)	Volume	Base	Face
lattice			centered (I)	centered (C)	centered (F)
Triclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} \neq \alpha_{23} \neq \alpha_{31}$				
Monoclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{23} = \alpha_{31} = 90^{\circ}$ $\alpha_{12} \neq 90^{\circ}$				
Orthorhombic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^{\circ}$				1
Tetragonal	$a_1 = a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^{\circ}$				
Trigonal	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} < 120^{\circ}$				
Cubic	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^{\circ}$				
Hexagonal	$a_1 = a_2 \neq a_3$ $\alpha_{12} = 120^{\circ}$ $\alpha_{23} = \alpha_{31} = 90^{\circ}$	a, a, a,			

Table 1.1: Bravais lattices in three-dimensions.

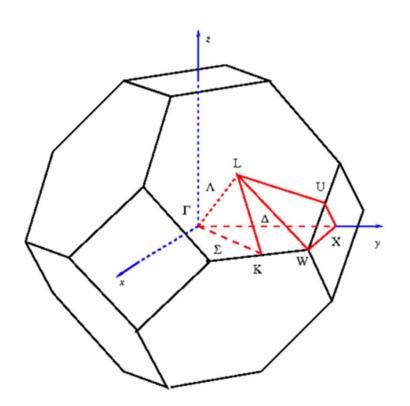






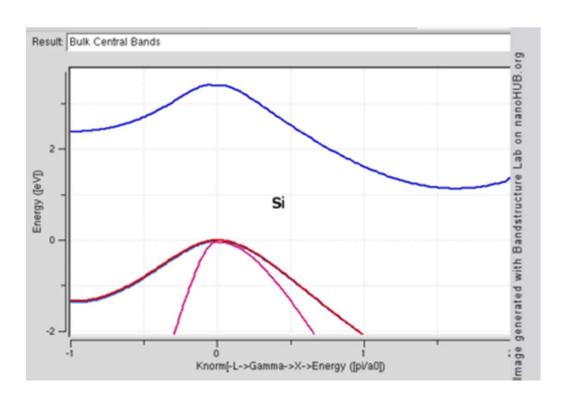


# First Brillouin zone of FCC lattice showing symmetry labels



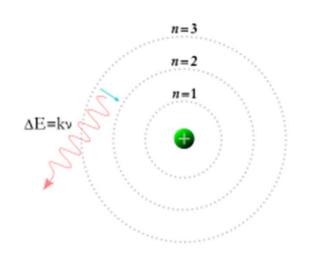


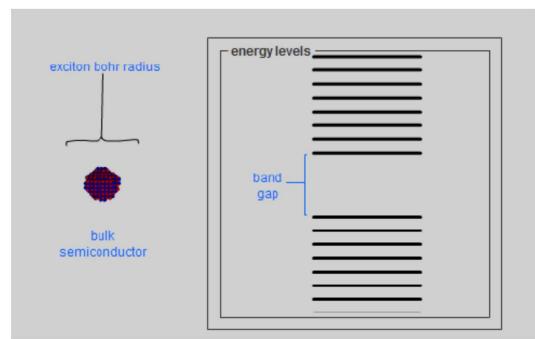
#### **Band Structures**



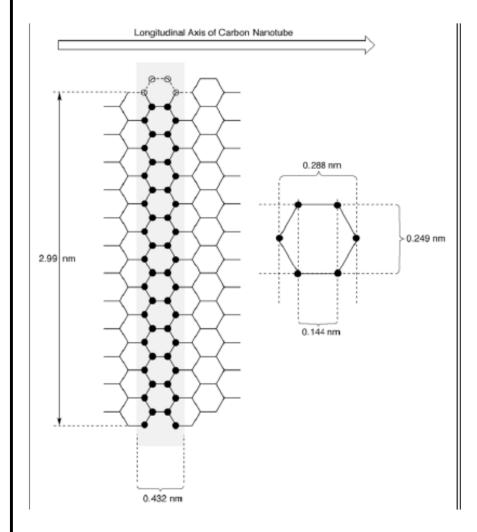


### **Bohr Exciton Radius**









$$2a = 0.144 \text{ nm}$$
  
 $a = 0.072 \text{ nm}$   
 $(Altitude)^2 = a^2 + 2a^2 = a\sqrt{3}$   
Minimal diameter =  $2 \cdot a\sqrt{3} = 2 \cdot (0.072) \text{nm} \cdot \sqrt{3}$   
= 0.249 nm

Circumference or Perimeter,  $p = 12 \cdot 0.249 \text{ nm} = 2.988 \text{ nm}$ 

$$p = \pi d$$
; the  $d = \frac{p}{\pi} = \frac{2.988 \text{nm}}{\pi} = 0.951 \text{ nm}$ 

$$m = \left(\frac{12.011 \text{g}}{\text{mol}}\right) \left(\frac{1 \text{ mol}}{6.022 x 10^{23} \text{ atoms}}\right) 48 \text{ atoms} = 9.573 x 10^{-22} \text{g}$$

$$V_{ansit cell} = 0.432 \text{nm} \cdot \pi r^2 = 0.432 \text{nm} \cdot \pi \cdot \left(\frac{0.951 \text{nm}}{2}\right)^2 = 0.307 \text{ nm}^3$$

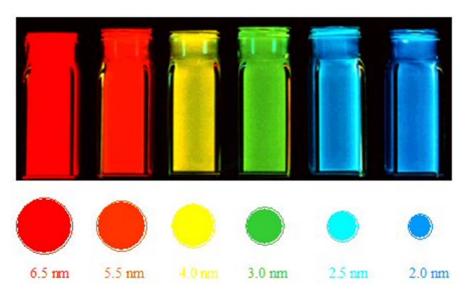
$$0.307 \text{nm}^3 \left( \frac{\text{cm}}{10^7 \text{nm}} \right)^3 = 3.07 \times 10^{-22} \text{ cm}^3$$

$$\rho = \frac{g}{cm^3} = \frac{9.573x10^{-22}g}{3.07x10^{-22}cm^3} = 3.12 g \cdot cm^3$$

$$S_{Unit-cell} = \frac{p \cdot W}{m} = \frac{2.99 \text{nm} \cdot 0.432 \text{nm}}{9.573 \times 10^{-22} g} \left(\frac{\text{m}}{10^9 \text{nm}}\right)^2 = 1.35 \times 10^3 \text{ m}^2 \cdot \text{g}^{-1}$$



## CdSe







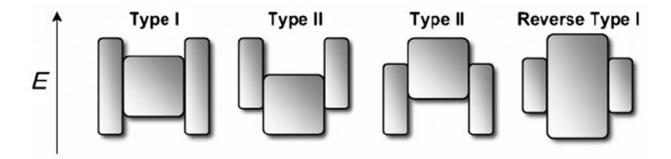
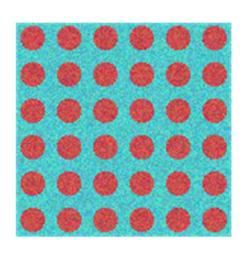
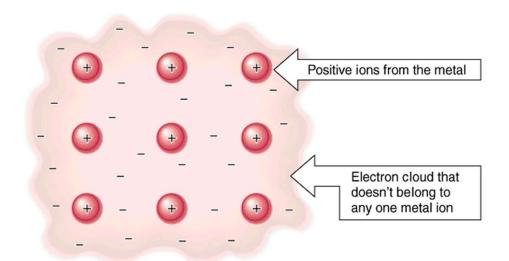


Figure 1. Schematic representation of the energy-level alignment in different core/shell systems realized with semiconductor NCs to date. The upper and lower edges of the rectangles correspond to the positions of the conduction- and valence-band edge of the core (center) and shell materials, respectively.



#### Electron Sea





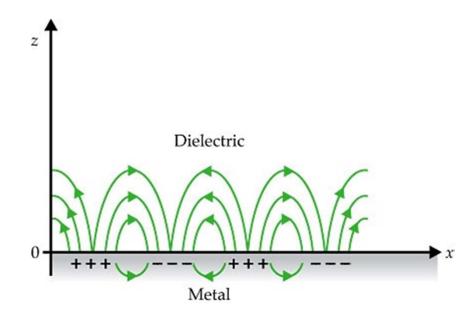
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$$m\,\frac{d^2\delta x}{dt^2}=e\,E_x=-m\,{\omega_p}^2\,\delta x,$$

$$\omega_p^2 = \frac{n e^2}{\epsilon_0 m},$$



#### Surface Plasmonon



$$\varepsilon_m = 1 - \frac{\omega_p^2}{\omega^2}$$



## $TiO_2$

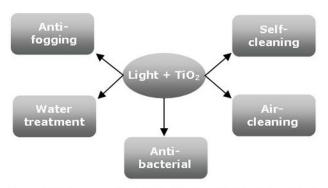
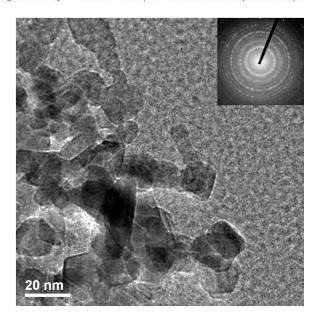
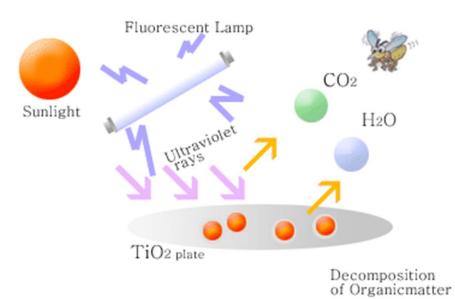


Figure 1. Major areas of activity in titanium dioxide photocatalysis

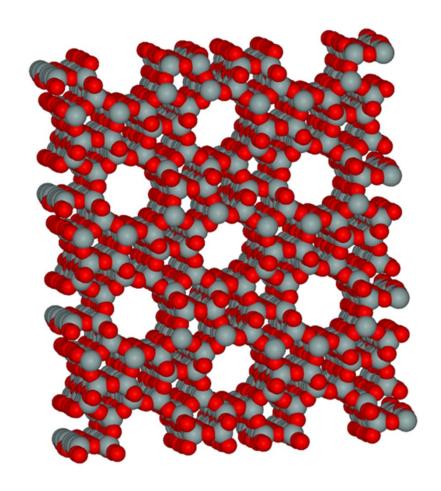


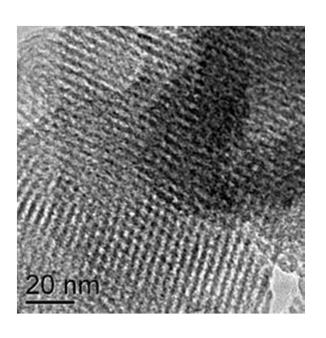


Photocatalyst Reaction



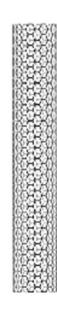
## Zeolite



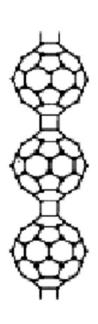




## Carbon



SWNT





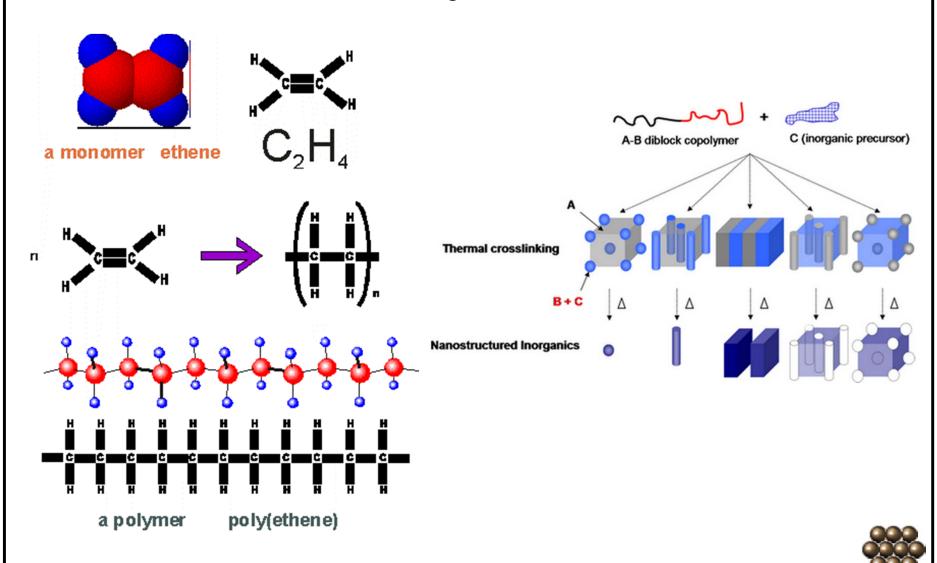




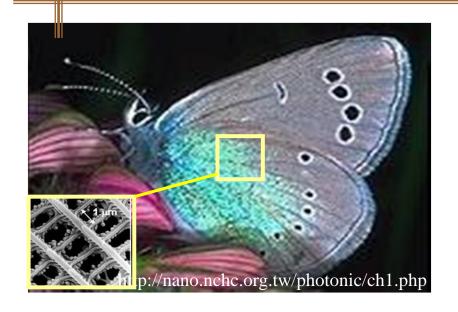


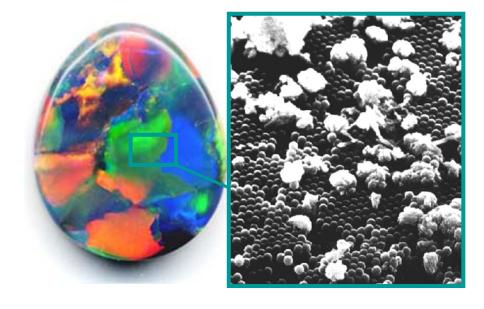


## Polymer

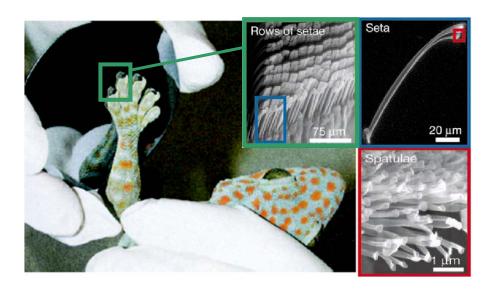


## Nature Materials









## Surface Energy

One face surface energy: γ

27 cube: 27 x 6 γ

3 x 9 cube line: 114  $\gamma$ 

3 x (3x3) square: 90  $\gamma$ 

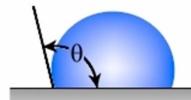
 $3 \times 3 \times 3$  cube:  $54 \gamma$ 

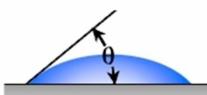


## Contact Angle



Hydrophilic Drop





high poor poor low contact angle adhesiveness wettability solid surface free energy

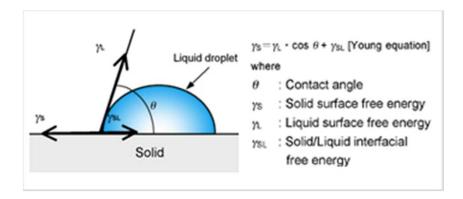
low good good high

ramé-hart instrument co.



## Young's Equation

$$\gamma_{\rm SL} + \gamma_{\rm LV} \cos \theta_{\rm c} = \gamma_{\rm SV}$$



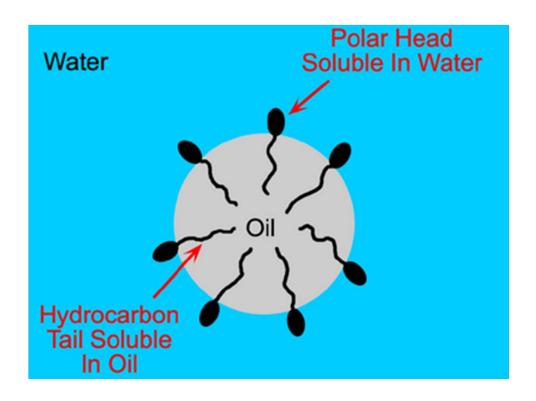


## Surface Energy Minimization

- Surfactants
- DLVO
- Polymeric
- Nucleation
- Ostwald Ripening
- Sintering
- Restructure



### Surfactant





## **DLVO Theory**

$$V_T = V_A + V_R + V_S$$

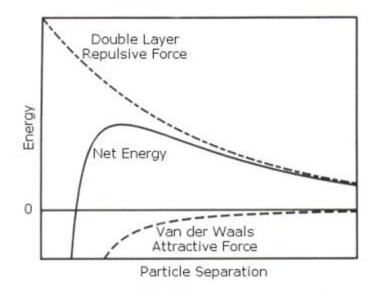
$$V_A = -A/(12 \text{ m } D^2)$$

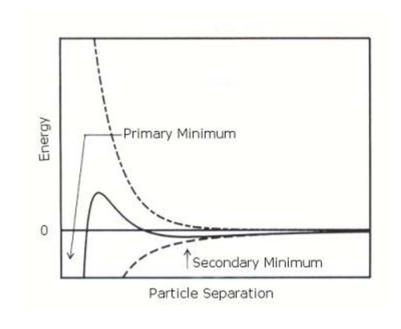
A is the Hamaker constant and D is the particle separation

$$V_R$$
 = 2 π ε a  $\xi^2$  exp(- κD)

a is the particle radius,  $\pi$  is the solvent permeability,  $\kappa$  is a function of the ionic composition and  $\xi$  is the zeta potential

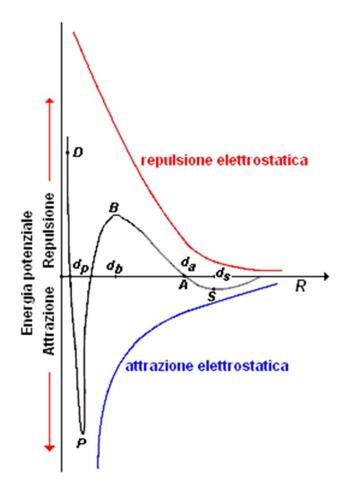


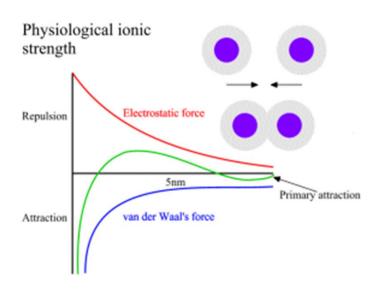






## **DLVO Theory**



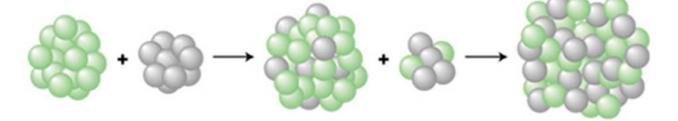








#### D Ostwald ripening



Two main mechanisms are shown here: **a**, coalescence sintering, and **b**, Ostwald ripening sintering. Coalescence sintering occurs when two clusters touch or collide and merge to form one bigger cluster. In contrast, Ostwald ripening sintering occurs by evaporation of atoms from one cluster, which then transfer to another. This is a dynamic process — both clusters exchange atoms, but the rate of loss from the smaller cluster is higher, because of the lower average coordination of atoms at the surface and their relative ease of removal. Thus big clusters get bigger at the expense of smaller clusters, which shrink and eventually disappear. The latter process is the usual form of sintering for metal clusters on a supported surface that are well spaced apart, although coalescence can occur for a high density of clusters. In general, the presence of the surface results in SMORS (surface-mediated Ostwald ripening sintering) in which material is transferred from one cluster to another by diffusion across the surface, and not through the gas phase.