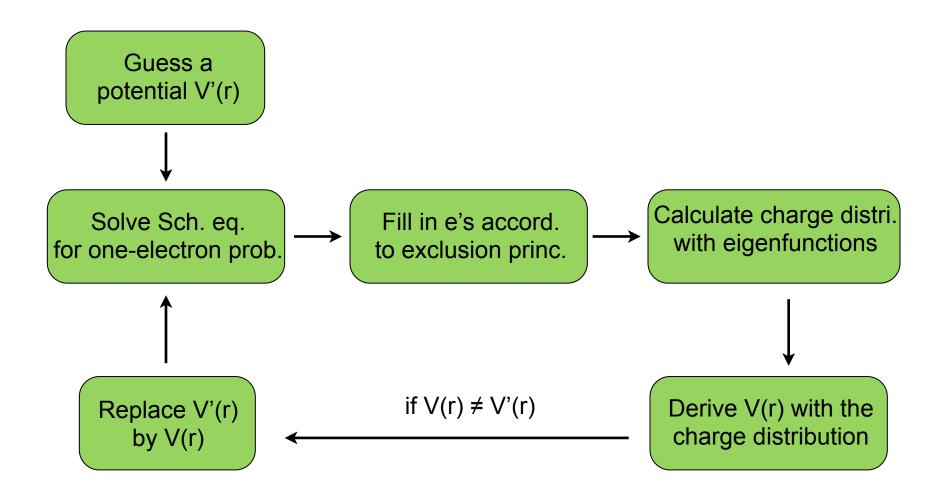
# Multi-electron atoms (II) Hartree Approximation

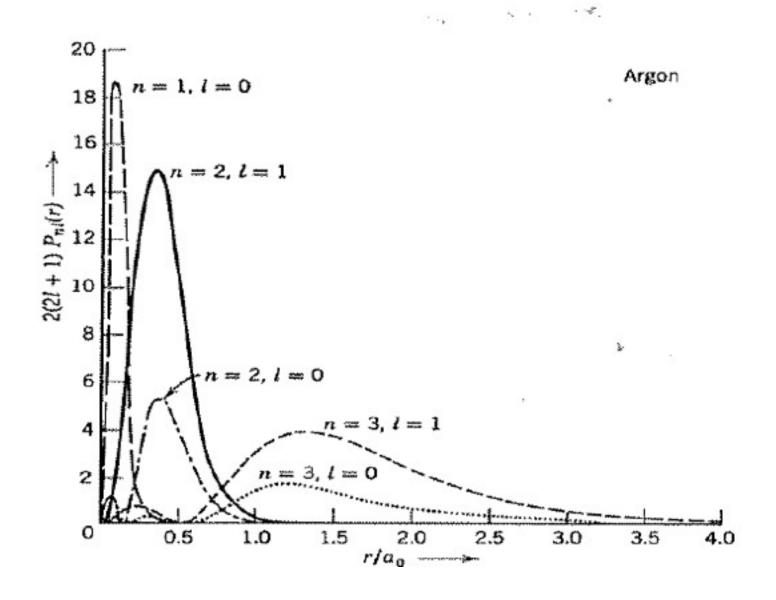
#### For an atom with Z electrons

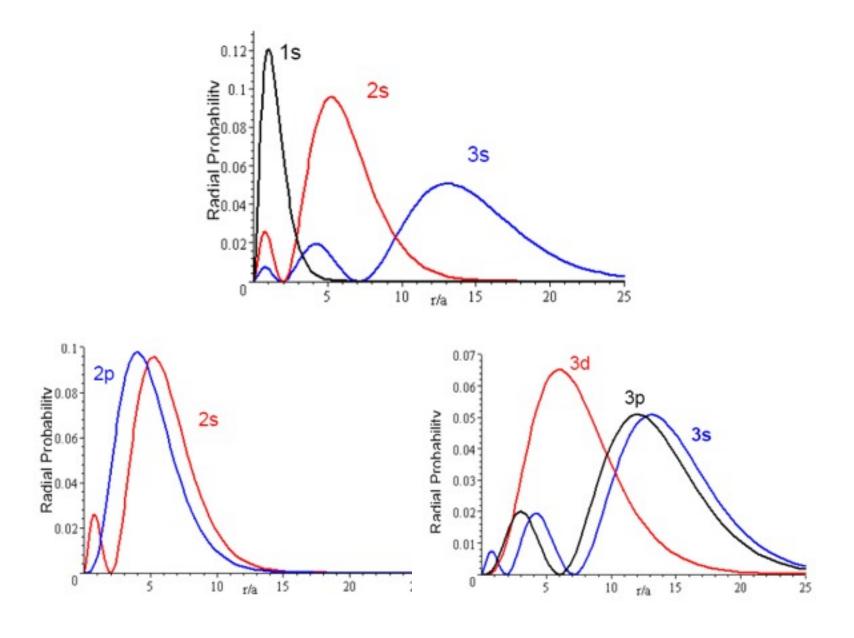
The method makes the following major simplifications in order to deal with this task:

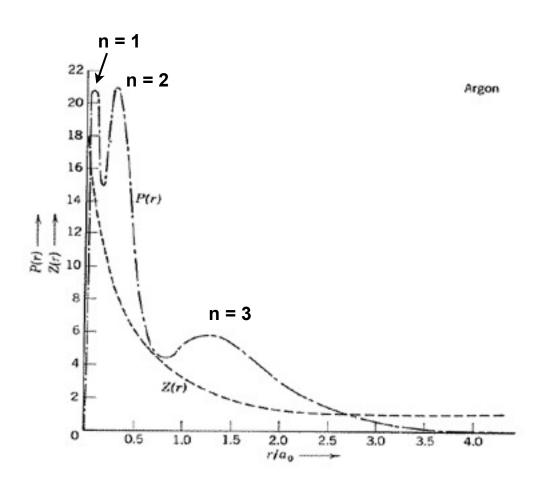
- The Born-Oppenheimer approximation is inherently assumed. The full molecular wave function is actually a function of the coordinates of each of the nuclei, in addition to those of the electrons.
- Typically, relativistic effects are completely neglected. The momentum operator is assumed to be completely non-relativistic.
- The variational solution is assumed to be a linear combination of a finite number of basis functions, which are usually (but not always) chosen to be orthogonal. The finite basis set is assumed to be approximately complete.
- The mean field approximation is implied. Electrons are moving independently in a spherically symmetrical net potential.

### **Algorithm for Hartree Approximation**





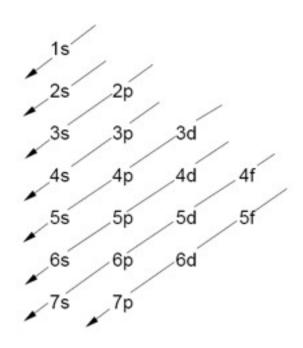


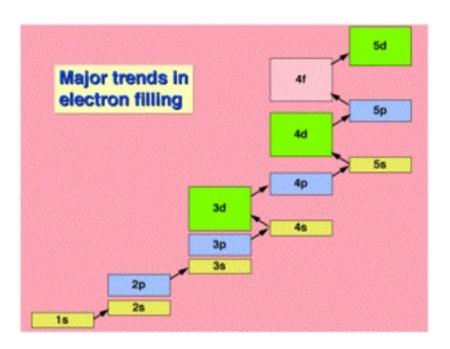


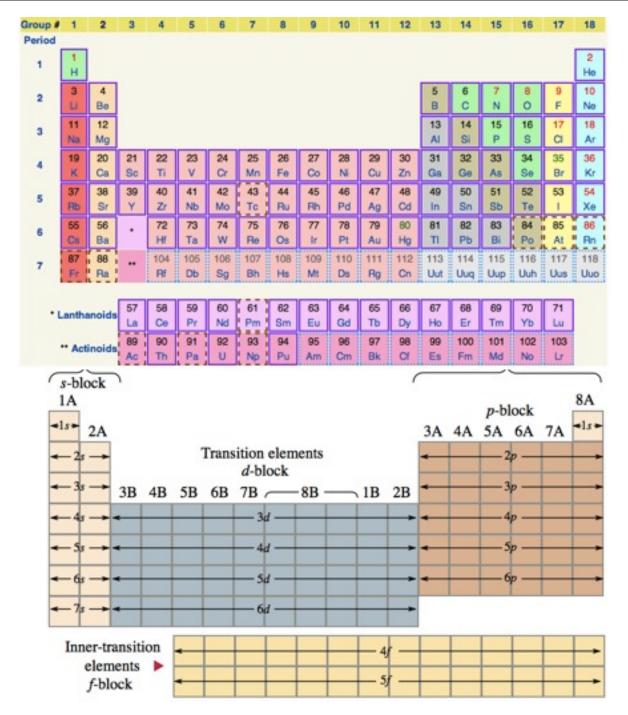
$$V(\mathbf{r}) = -\frac{Z(\mathbf{r})}{4\pi\epsilon_0} \frac{e^2}{r}$$

$$Z(r) = \begin{cases} Z, & r \to 0 \\ 1, & r \to \infty \end{cases}$$

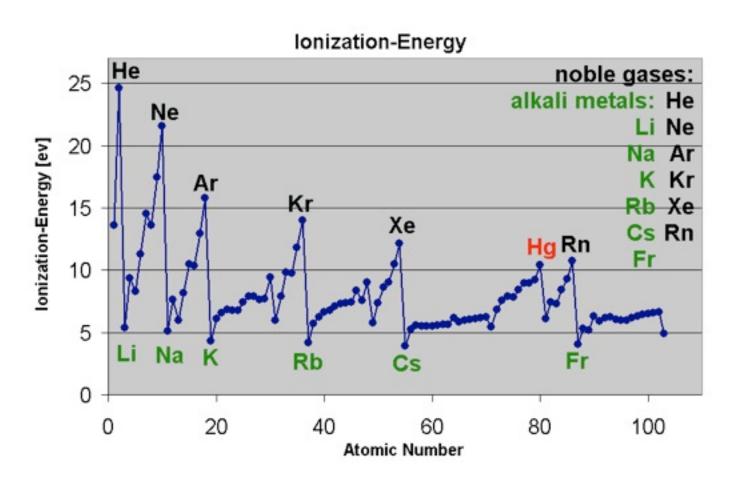
## Aufbau principle







### **First Ionization Energy**



Homework#7 (Oct. 25, 2010):

For the argon atom, the values of  $Z_n$  are determined with  $Z_1$  = 16,  $Z_2$  = 8, and  $Z_3$  = 3. Use these values to estimate the radii of the n = 1, 2, and 3 shells of the atom.